



## Reflections on Beauty: CP Asymmetries at Belle

- CP violation in the Standard Model
- B(eauty) mesons & CP asymmetry
- B production:  $e^+e^- \rightarrow \Upsilon(4S)$  at KEKB
- Belle experiment
  - Highlights in CP
  - Selected results
- Plans

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# Introduction: Particles & Interactions

## Fundamental particles (relativistic QM)

- massless, relativistic QM states
- "discretely symmetric"

Parity space	Time reversal time	Charge conjugation energy
$r \leftrightarrow -r$	$t \leftrightarrow -t$	$f \leftrightarrow \text{anti-}f$

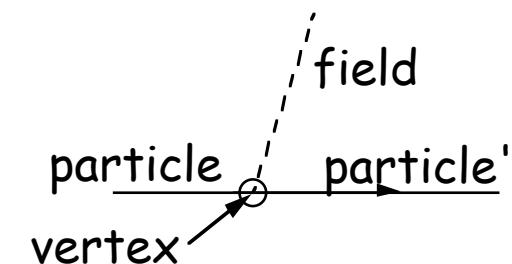
## Universe

- massive particles (quarks, leptons)
- matter  $\gg$  antimatter

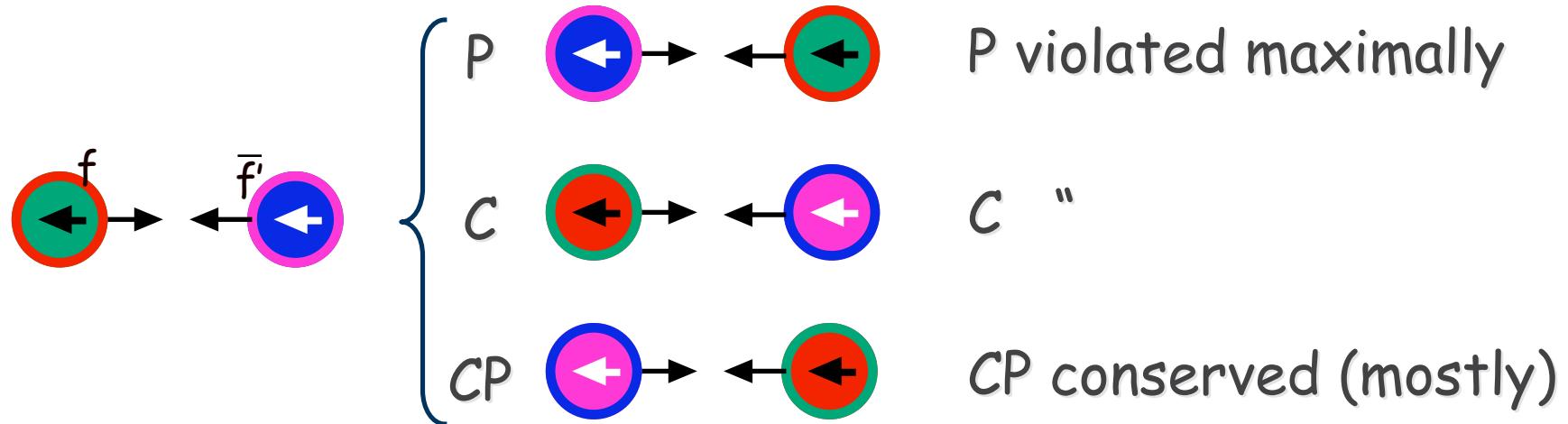
How can these be reconciled??

## Forces (strong, EM, weak, gravitational)

- coupling strengths & symmetries  $\rightarrow$  mass, symmetries of cosmos
- matter-antimatter asymmetry requires CP-violating interactions  
(Sakharov 1967)



# CP Violation: matter-antimatter asymmetry



How can an interaction violate CP?

Complex coupling constant

$$CP\{ \begin{array}{c} f \\ \xrightarrow{g} \\ \xrightarrow{f'} \end{array} \} = \begin{array}{c} \bar{f}' \\ \xleftarrow{g} \\ \xleftarrow{\bar{f}} \end{array} \neq \begin{array}{c} \bar{f}' \\ \xleftarrow{g^*} \\ \xleftarrow{\bar{f}} \end{array} \text{ (hermitian conjugate)}$$

To be observable, need 2+ interfering amplitudes T,P:

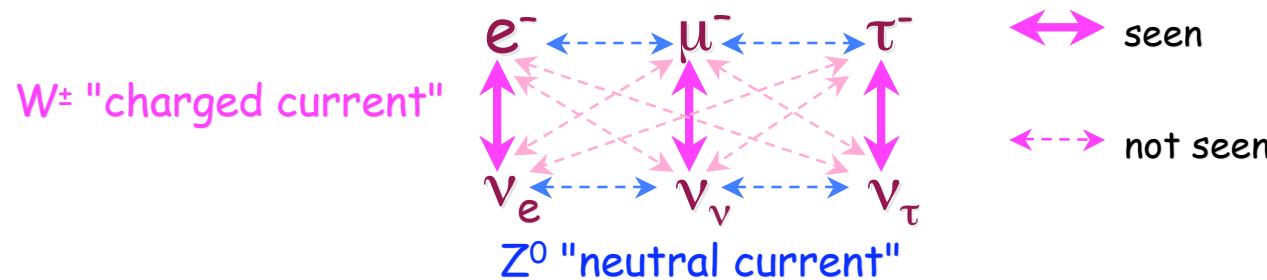
$$T=gA, P=g'A' \rightarrow |gA+g'A'| \xrightarrow{CP} |gA^*+g'A'^*|$$

Equal only if relative phase of  $g, g'=0$

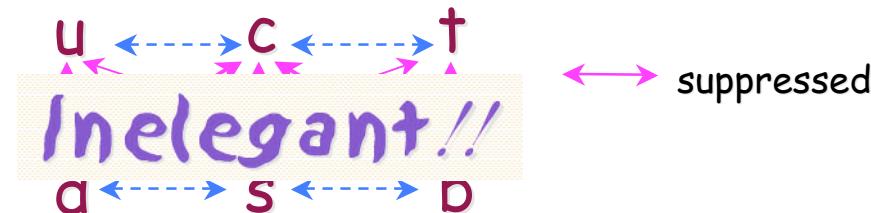
# How does weak force violate CP?

Standard Model = 12 fermion flavors (+antifermion)

- 3 generations (distinguished only by mass)  $\times 2$  types  $\times 2$  ea (strong & EM couplings)  
(stable, but for weak interaction)
- leptons: ~universal coupling, no generation x-ing



- quarks: neutral current - ~universal, no generation x-ing
- quarks: charged current - all different, approx. generation-conserving



# Elegance restored: *GIM mechanism*



Picture

$$\{ \text{matrix of} \begin{array}{l} d \\ s \\ b \end{array} \text{couplings} \} = g_F \times \begin{pmatrix} u & \left| \begin{array}{ccc} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{array} \right. \\ c \\ t \end{pmatrix}$$

can be expressed  $g_F \times \begin{pmatrix} u & \left| \begin{array}{ccc} d' & s' & b' \\ 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{array} \right. \\ c \\ t \end{pmatrix}$

- $d'$ ,  $s'$ ,  $b'$  are eigenstates resulting from perturbation by weak interaction.  
 $\neq$  mass eigenstates  $d$ ,  $s$ ,  $b$

$$\begin{bmatrix} d' \\ s' \\ b' \end{bmatrix} = \mathcal{M} \begin{bmatrix} d \\ s \\ b \end{bmatrix}$$

Cabibbo-Kobayashi-Maskawa (CKM) matrix  
 complex  
 preserves metric  
 " orthogonality }  $\equiv$  unitary

Explains (Glashow-Iliopoulos-Maiani)

- suppression of flavor-changing neutral currents
- multiplicity of charged current couplings
- AND .....

... for >2 generations, e.g. 3, {9R+9I} dof constrained by unitarity:

4 free parameters, incl. 1 irreducible imaginary part

>> *CP Violation* >> (Kobayashi-Maskawa 1973)

Makoto  
Kobayashi



First 3rd-  
generation particle ( $\tau$ )  
seen 1975

Toshihide  
Maskawa



# 3-generation unitarity

explicit parametrization(Wolfenstein):

$$\begin{pmatrix} 1-\lambda^2/2 & \lambda & \lambda^3 A(\rho-i\eta) \\ -\lambda & 1-\lambda^2/2 & \lambda^2 A \\ \lambda^3 A(1-\rho-i\eta) & -\lambda^2 A & 1 \end{pmatrix}$$

irreducibly  
complex

Satisfies unitarity condition

$$V_{ji}^* V_{jk} = \delta_{ik}$$

$$\{i=1, k=3\}: V_{ub}^* V_{ud} + V_{cb}^* V_{cd} + V_{tb}^* V_{td} = 0$$

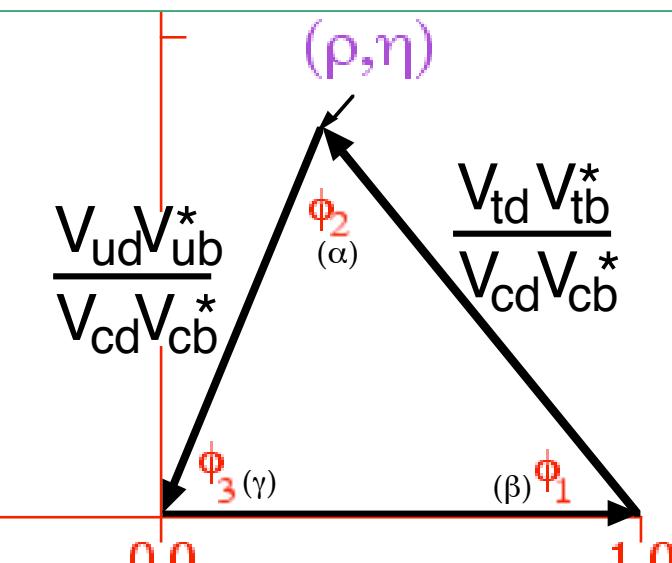
$$\Rightarrow \frac{V_{ub}^* V_{ud}}{V_{cb}^* V_{cd}} + 1 + \frac{V_{tb}^* V_{td}}{V_{cb}^* V_{cd}} = 0$$

↓                      ↓

-(ρ+ιη)            -(1-ρ-ιη)

from decay rates,  
 $\lambda = 0.220 \pm 0.002$   
 $A = 0.81 \pm 0.08$   
 $|\rho - i\eta| = 0.36 \pm 0.09$   
 $|1 - \rho - i\eta| = 0.79 \pm 0.19$

(ρ, η): "unitarity triangle"

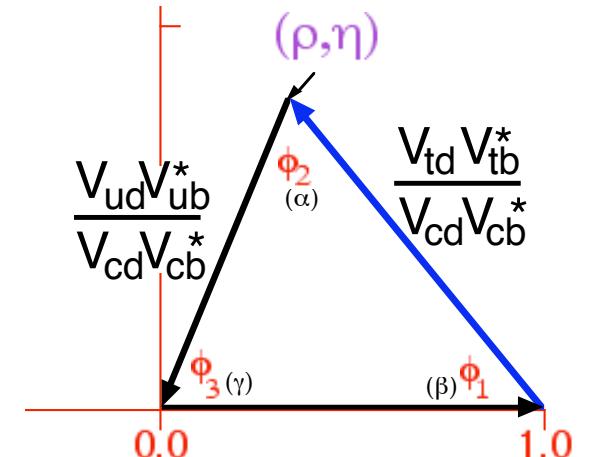
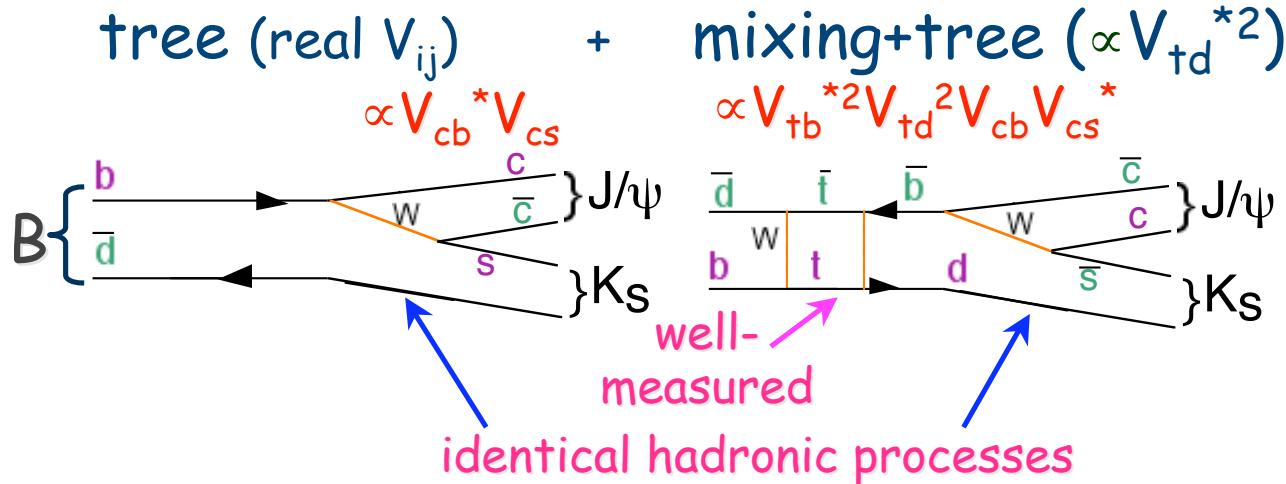


Self-consistent if CKM is correct

# CP asymmetries with CKM

→ to observe, need process w. all 3 generations (<- B decays),  
interference between ≥2 processes

First goal:  $\sin 2\phi_1$  in "golden mode"  $B \rightarrow J/\psi K_s$  (Sanda/Bigi/Carter)



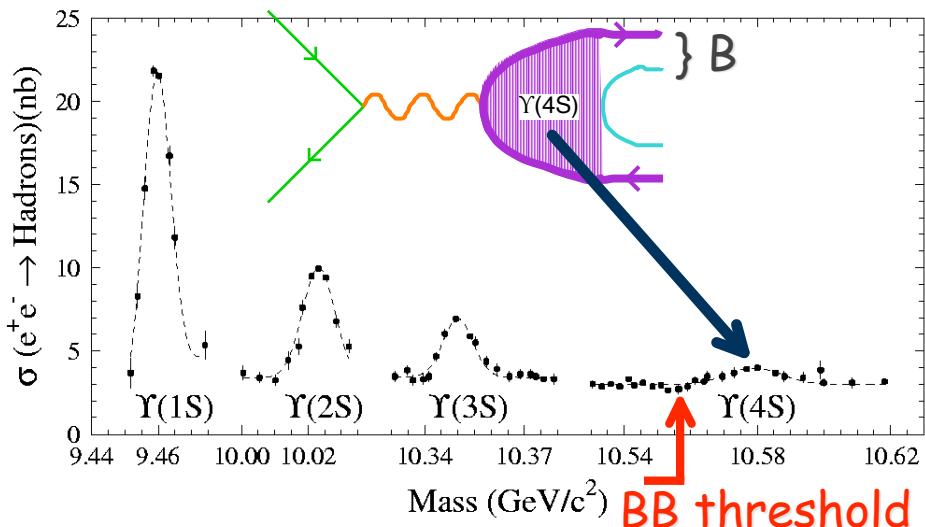
CP asymmetry from x-term(s) - no theoretical uncertainty:  $\propto \arg(V_{td}^2) = 2\phi_1$

Bottom line: CP-dependent oscillation in time:

$$\frac{dN}{dt}(B \rightarrow f_{CP}) = \frac{1}{2}\Gamma e^{-\Gamma\Delta t}(1 + \eta_b \eta_{CP} \sin 2\phi_1 \sin(\Delta m \Delta t));$$

$$\eta_b = \begin{cases} +1 & \text{if } B_{t=0} = B^0 \\ -1 & \text{if } B_{t=0} = \bar{B}^0 \end{cases} \quad \eta_{CP} = \begin{cases} -1 & \text{if } CP \text{ odd} \\ +1 & \text{if } CP \text{ even} \end{cases}$$

# B production: $e^+e^- \rightarrow \Upsilon(4S) \rightarrow B\bar{B}$



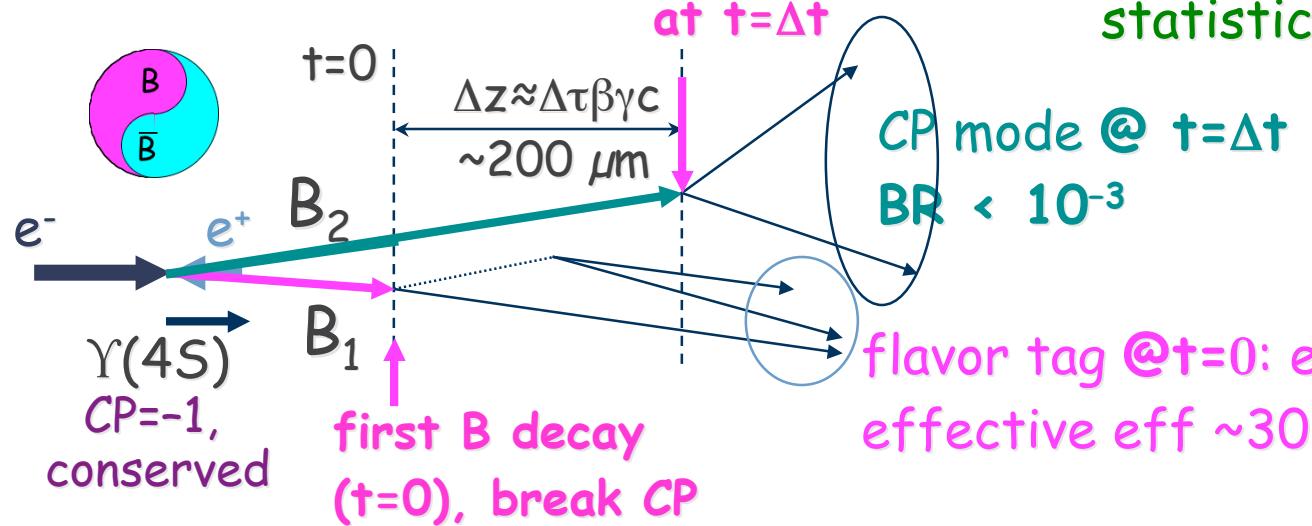
$\Delta t$  by asymmetric energy  $e^+e^- \rightarrow \Upsilon(4S)$   
(symmetric  $\Upsilon(4S)$ : CLEO 1979-2001)

## Need

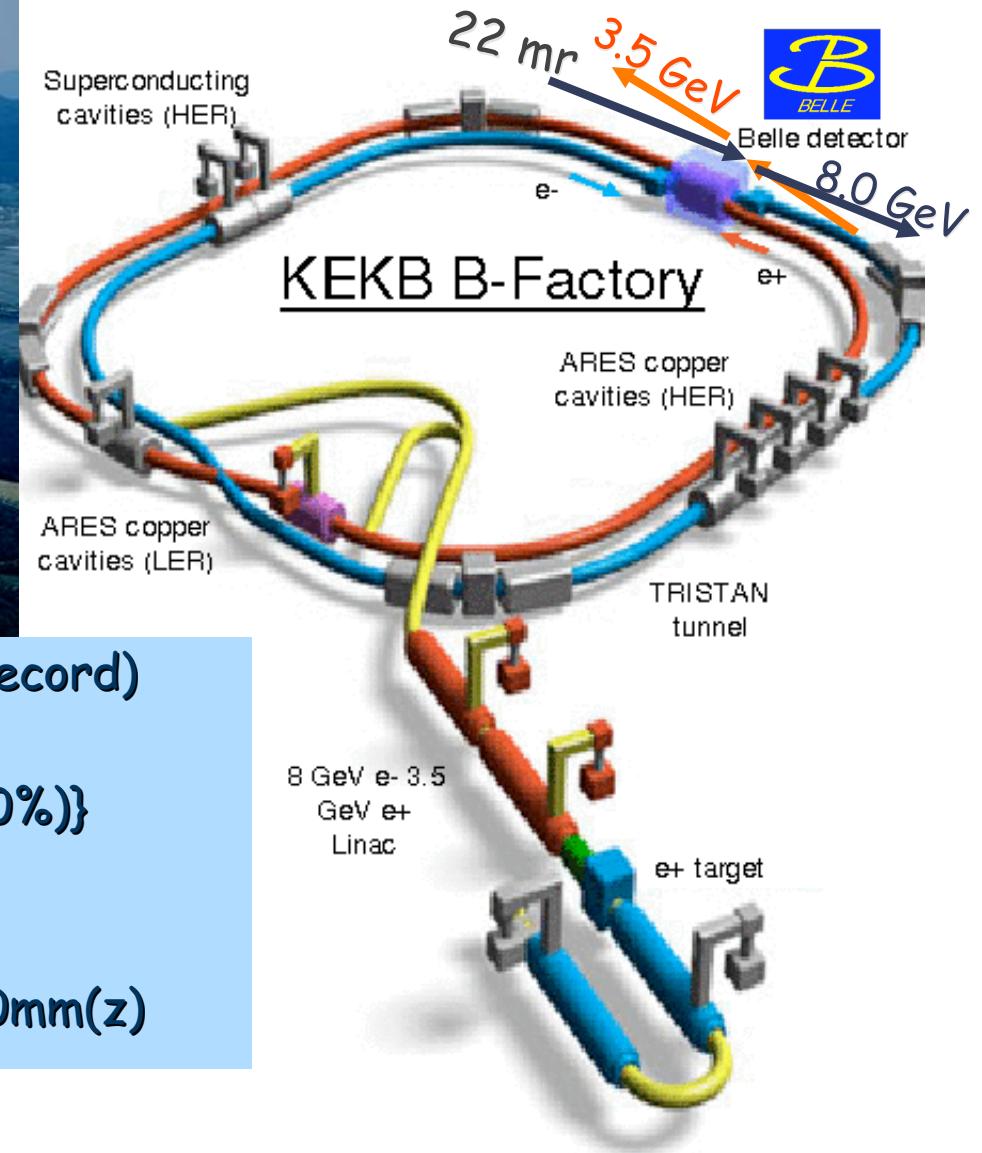
hadron ( $K/\pi$ ), lepton ID

$\ll 200\mu\text{m}$  vertexing

statistics  $\gg 10^7$  events



# Colliding beams: KEKB



$$L_{\max} = 1.52 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1} \text{ (world record)}$$

Data (6/1999-3/2005)

$$\int L dt = 380 \text{ fb}^{-1} @ \{\Upsilon(4S) + \text{off} (\sim 10\%)\}$$

(>3.8x10<sup>8</sup> B events)

$$\sigma(E^*_{beam}) = 2.6 \text{ MeV}$$

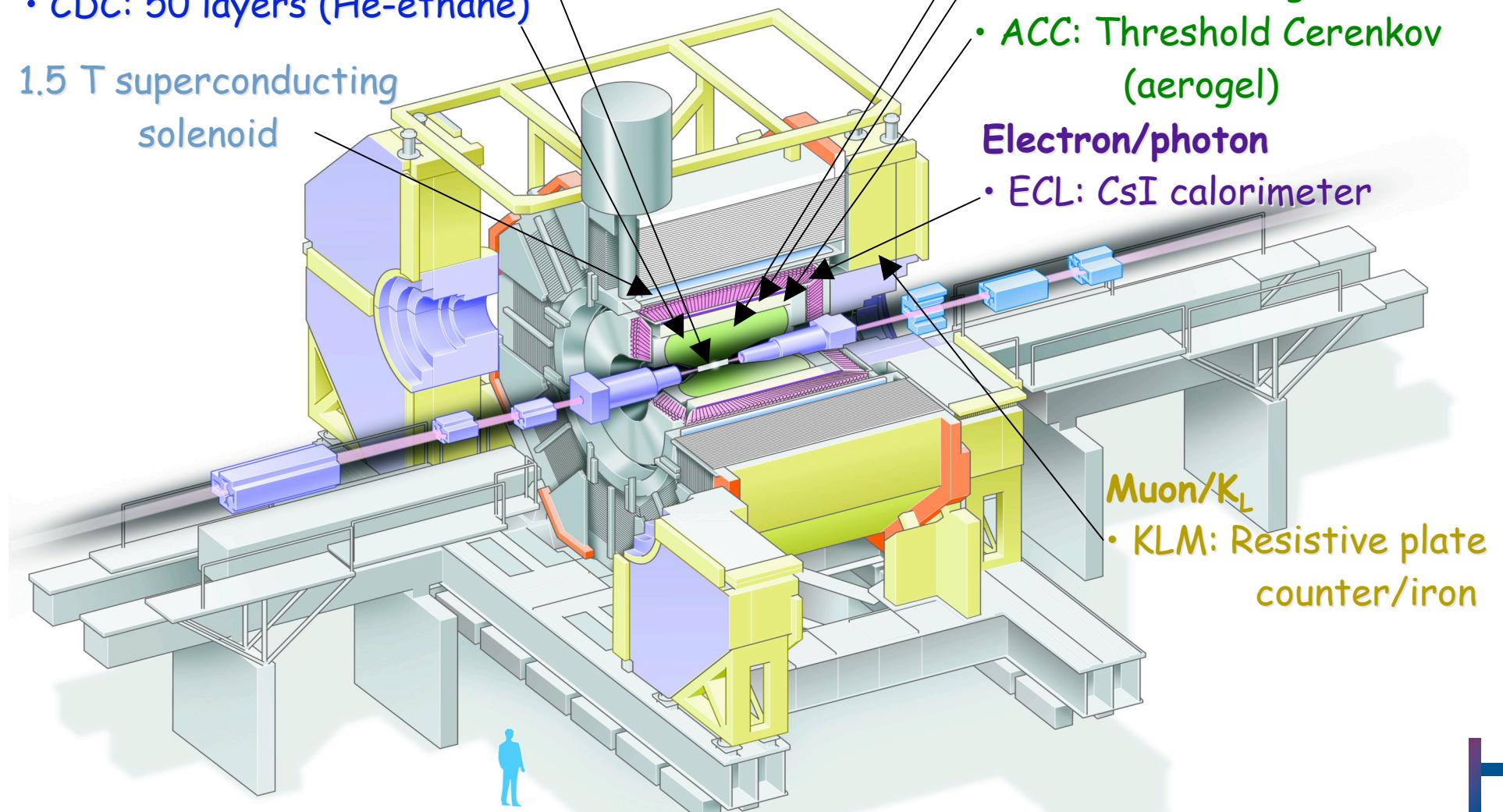
$$\text{IP size} = 77\mu\text{m}(x) \times 2.0\mu\text{m}(y) \times 4.0\text{mm}(z)$$

# The Detector

## Charged tracking/vertexing

- SVD: 3-layer DSSD Si  $\mu$ strip
- CDC: 50 layers (He-ethane)

## 1.5 T superconducting solenoid



## Hadron identification

- CDC:  $dE/dx$
- TOF: time-of-flight
- ACC: Threshold Cerenkov (aerogel)

## Electron/photon

- ECL: CsI calorimeter

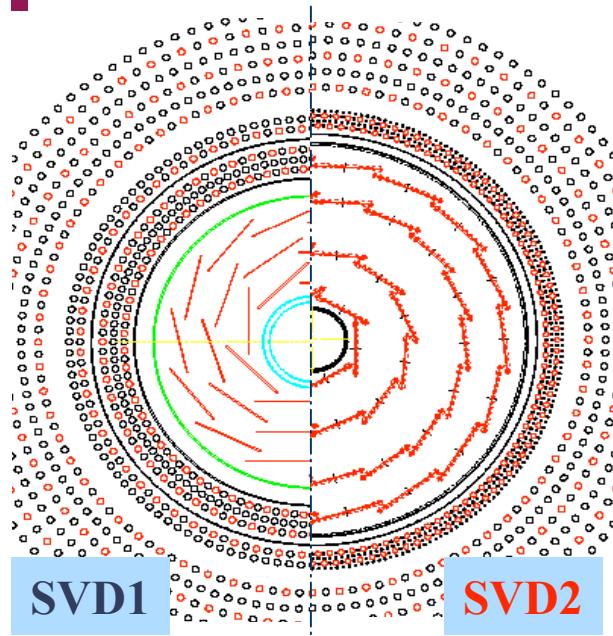
## Muon/K<sub>L</sub>

- KLM: Resistive plate counter/iron

# SVD Upgrade



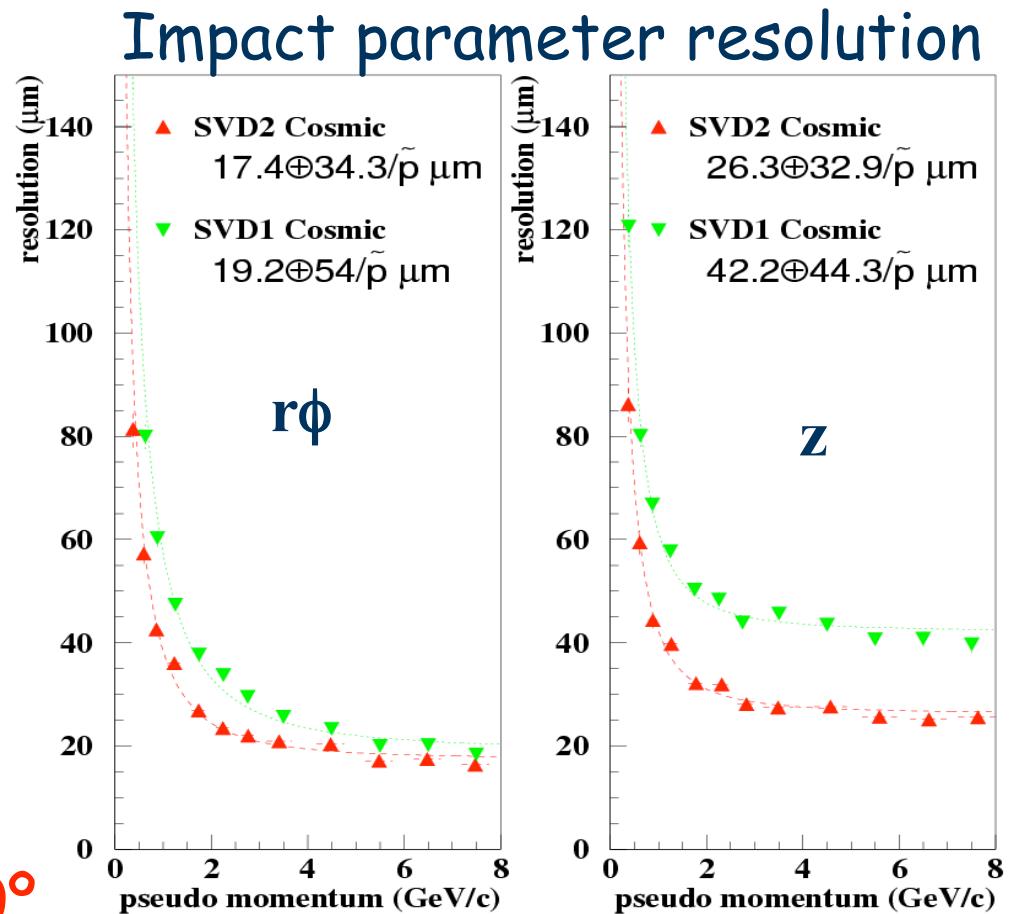
2003 summer



- 1 MRad → >20 MRad
- 3 layers → 4 layers
- $23^\circ < \theta < 139^\circ$  →  $17^\circ < \theta < 150^\circ$
- $R_{bp} = 2.0 \text{ cm} \rightarrow 1.5 \text{ cm}$

→ Better I.P. resolution

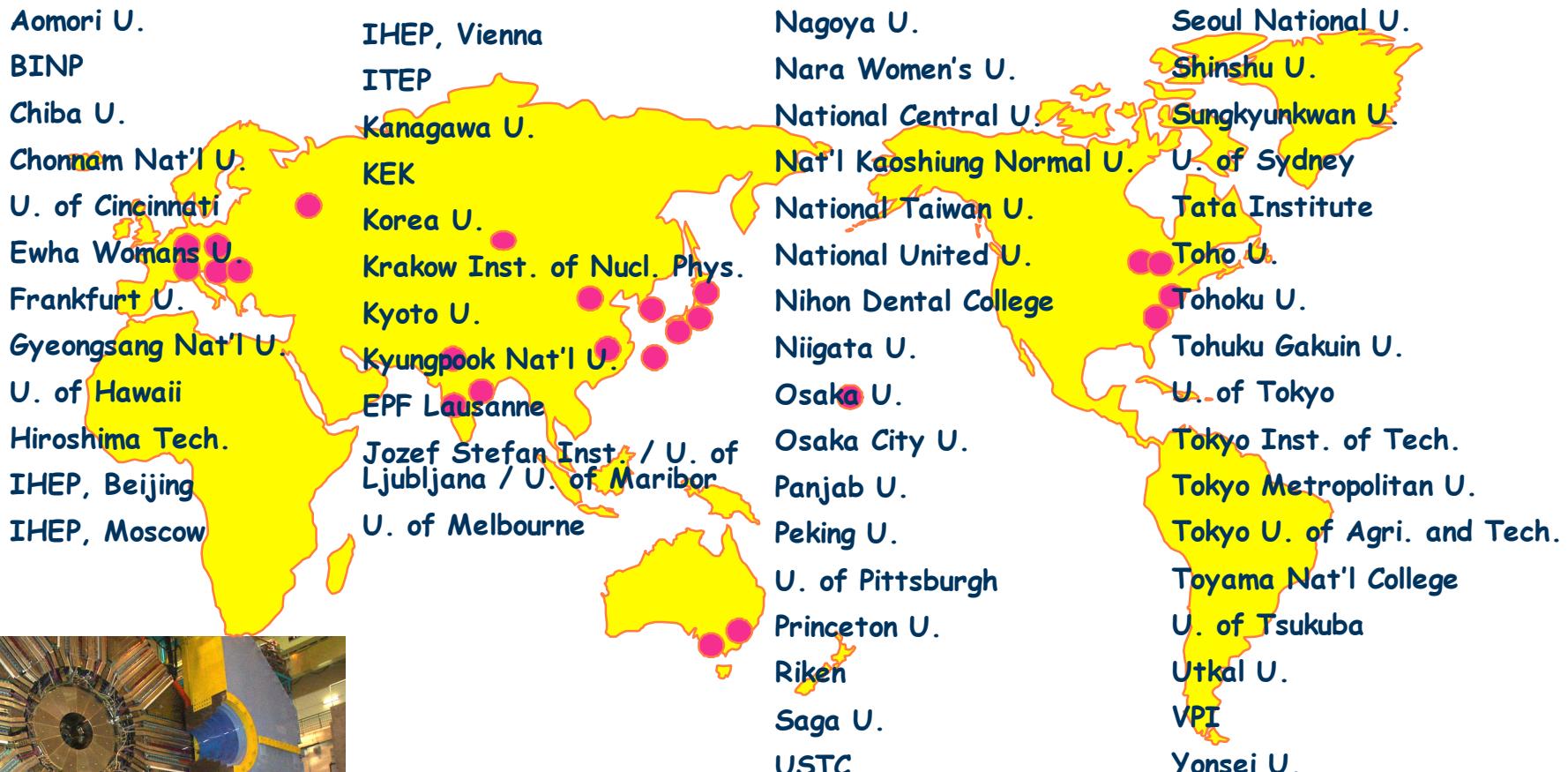
K. Kinoshita



152M  $B\bar{B}$  pairs w SVD1  
+ 123M  $B\bar{B}$  pairs w SVD2

MSU, March 22, 2005

# ... not least, the people



~13 countries, 57 institutes, ~400 collaborators

(authors vary, each paper)



## Belle physics

120±5 papers published or in press (#1 in 3/2001)

65 papers submitted to ICHEP 2004

(CP asymmetry in B decay, other B decay, charm, tau, 2-photon)

Physics topics overlap in many analyses,  
e.g., discovery of new charmonium(-like) states in B decay.

### Recent highlights in CP

- time-dependent CP asymmetry

$\phi_1$ : update  $J/\psi K_S, J/\psi K_L$

$\sim \phi_1$ :  $\phi K_S, J/\psi \pi^0, K^- \pi^+, \eta' K_S, f^0 K_S, \pi^0 K_S, \omega K_S, K^+ K^- K_S, K_S K_S K_S, \eta K^+, \eta \pi^+$

$\sim \phi_2$ :  $\pi^+ \pi^-, \rho^+ \pi^0, \rho^+ \pi^-$      $\sim \phi_3$ :  $D^{*+} \pi^- (2\phi_1 + \phi_3)$

- evidence/observation

$B \rightarrow K^* l^+ l^-, \pi^0 \pi^0, D^+ D^-, \pi^0 \rho^0, K^* \rho, \dots$

- method for  $\phi_3$ : Dalitz plot analysis

$D^0 K^+ \{D^0 \rightarrow K_S \pi^+ \pi^-\}$

# time-dependent CP analysis: overview

## 1) CP final state reconstruction exploit

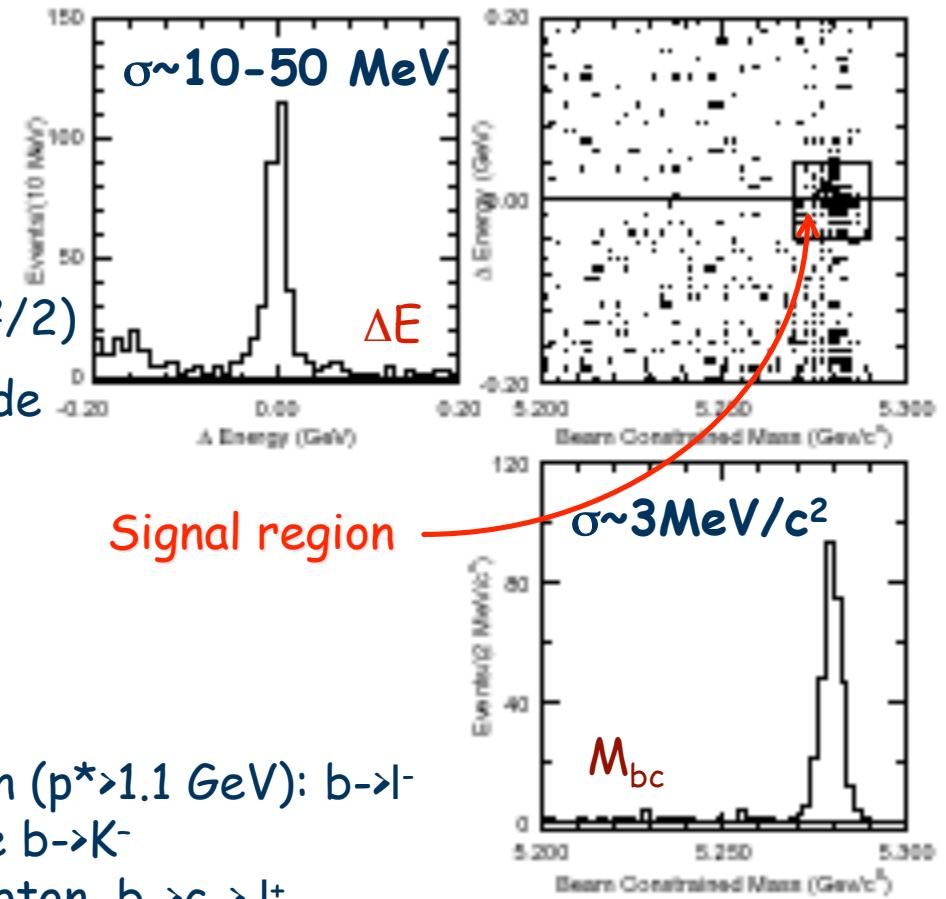
- exclusive pair production of B
- narrow resolution of collision energy

$$\Delta E = E_{\text{cand}}^* - E_{\text{beam}}^* = 0 \quad (E_{\text{beam}}^* = s^{1/2}/2)$$

$\sigma \sim 10-50 \text{ MeV}$ , depending on mode

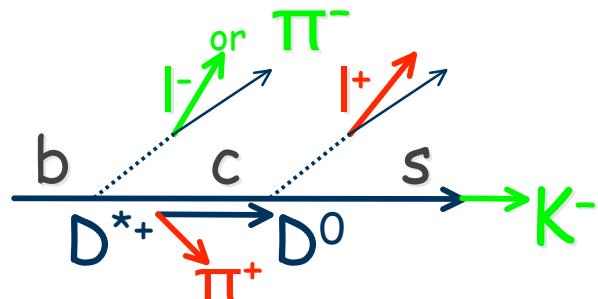
$M_{bc}$  (Beam-constrained mass)

$$M_{bc} = (E_{\text{beam}}^*{}^2 - p_{\text{cand}}^*{}^2)^{1/2}$$



Signal region

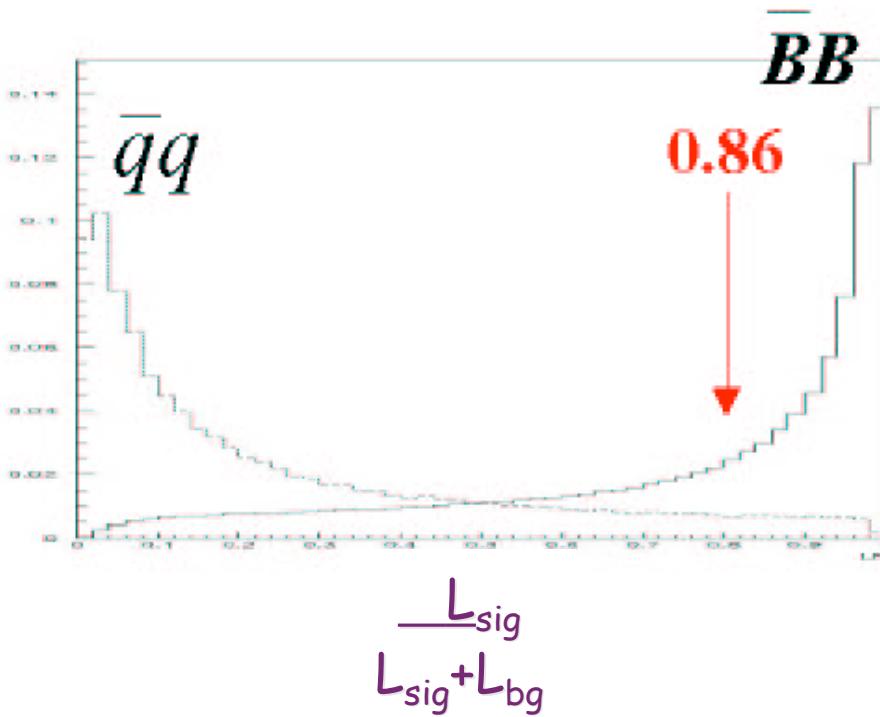
## 2) Flavor tagging: sign of other b all remaining particles in the event



- high-p lepton ( $p^* > 1.1 \text{ GeV}$ ):  $b \rightarrow l^-$
- net K charge  $b \rightarrow K^-$
- medium-p lepton,  $b \rightarrow c \rightarrow l^+$
- soft π  $b \rightarrow c \{D^{*+} \rightarrow D^0 \pi^+\}$
- hard π  $b \rightarrow \{c\} \pi^- X$ 
  - multidimensional likelihood,  $\varepsilon > 99\%$
  - incorrect tag reduces  $\varepsilon$ , net  $(28.7 \pm 0.5)\%$

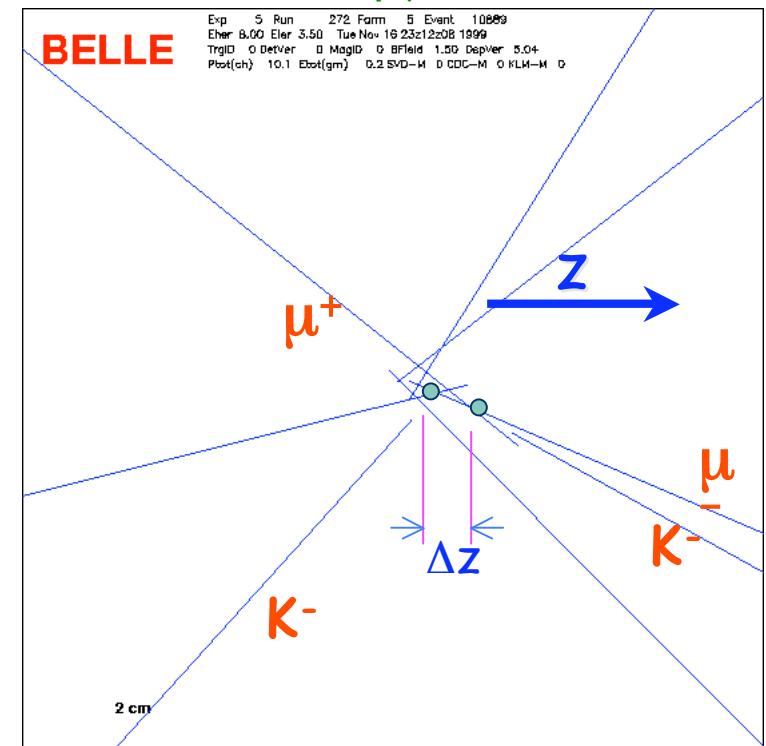
# time-dependent CP analysis: overview

## 3) Continuum suppression event parameters, likelihood ratio



## 4) Vertex reconstruction

$$\Delta t \sim \Delta z / \beta \gamma c$$



## 5) Fit to $\Delta t$ distribution: unbinned maximum likelihood

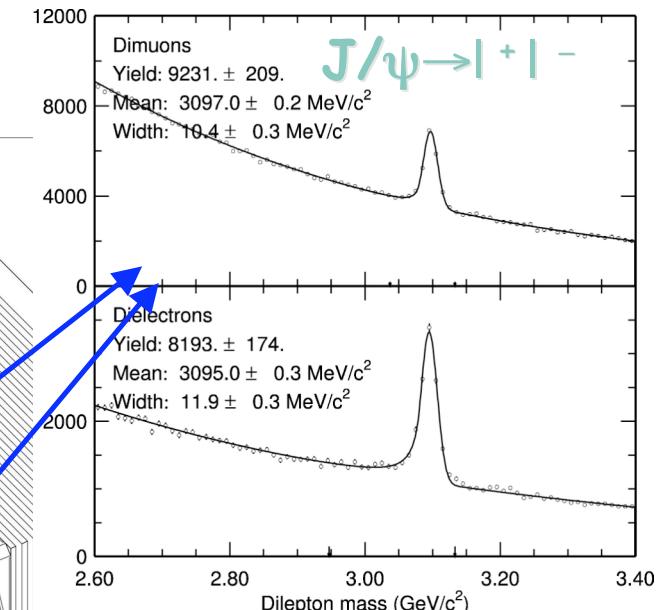
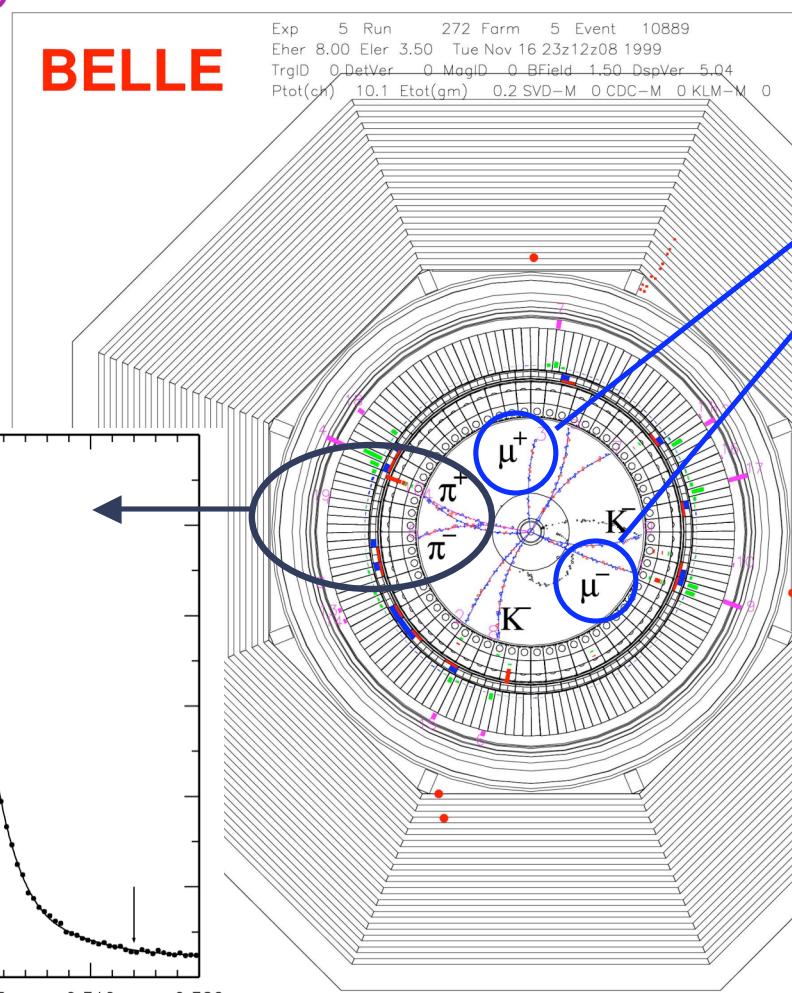
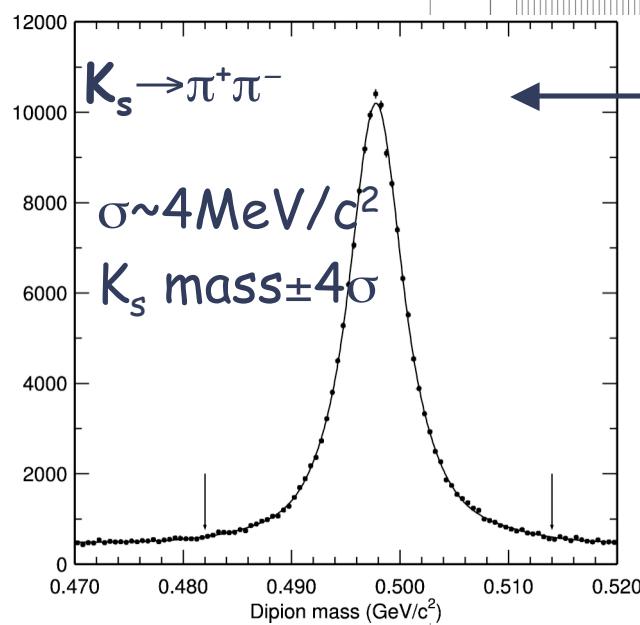
# CP eigenstate

"CP-side tag"

$B^0 \rightarrow J/\psi K_s (\rightarrow \pi^+ \pi^-)$

"golden mode"

**BELLE**

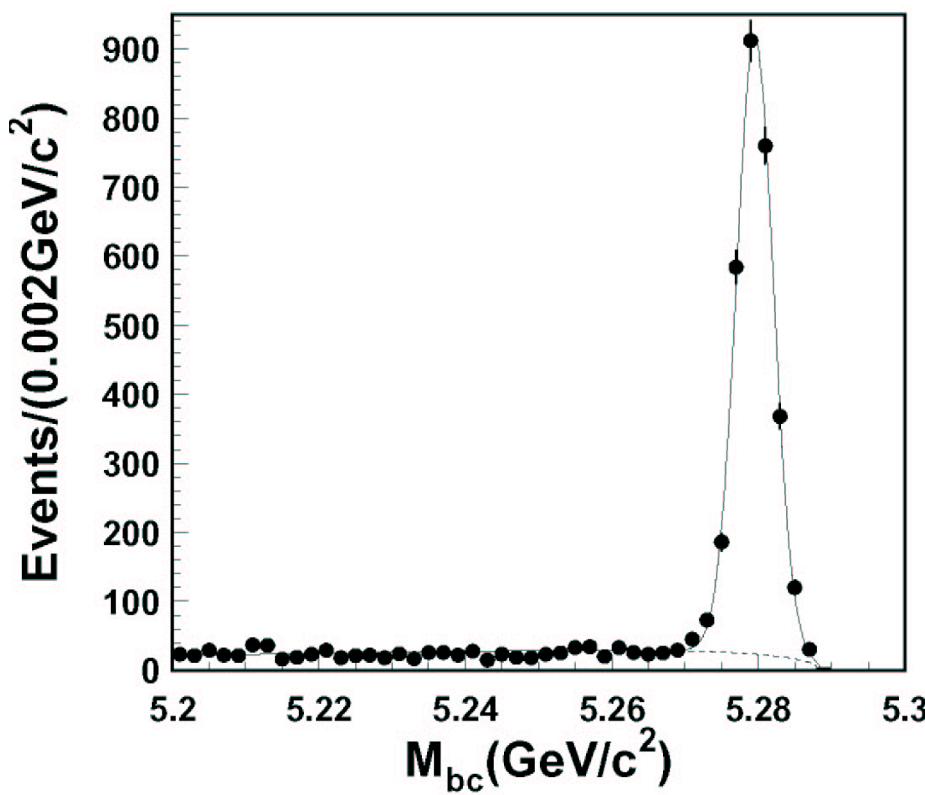


1lepton+1"not-hadron"

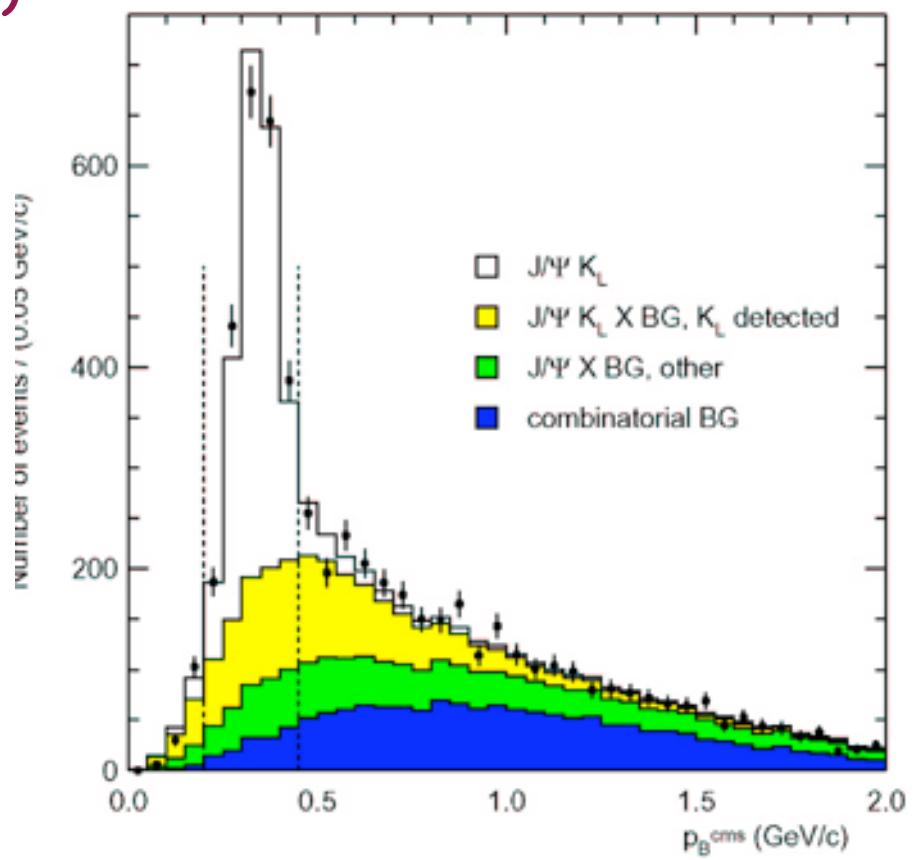
# CP eigenstate reconstruction

full reconstruction

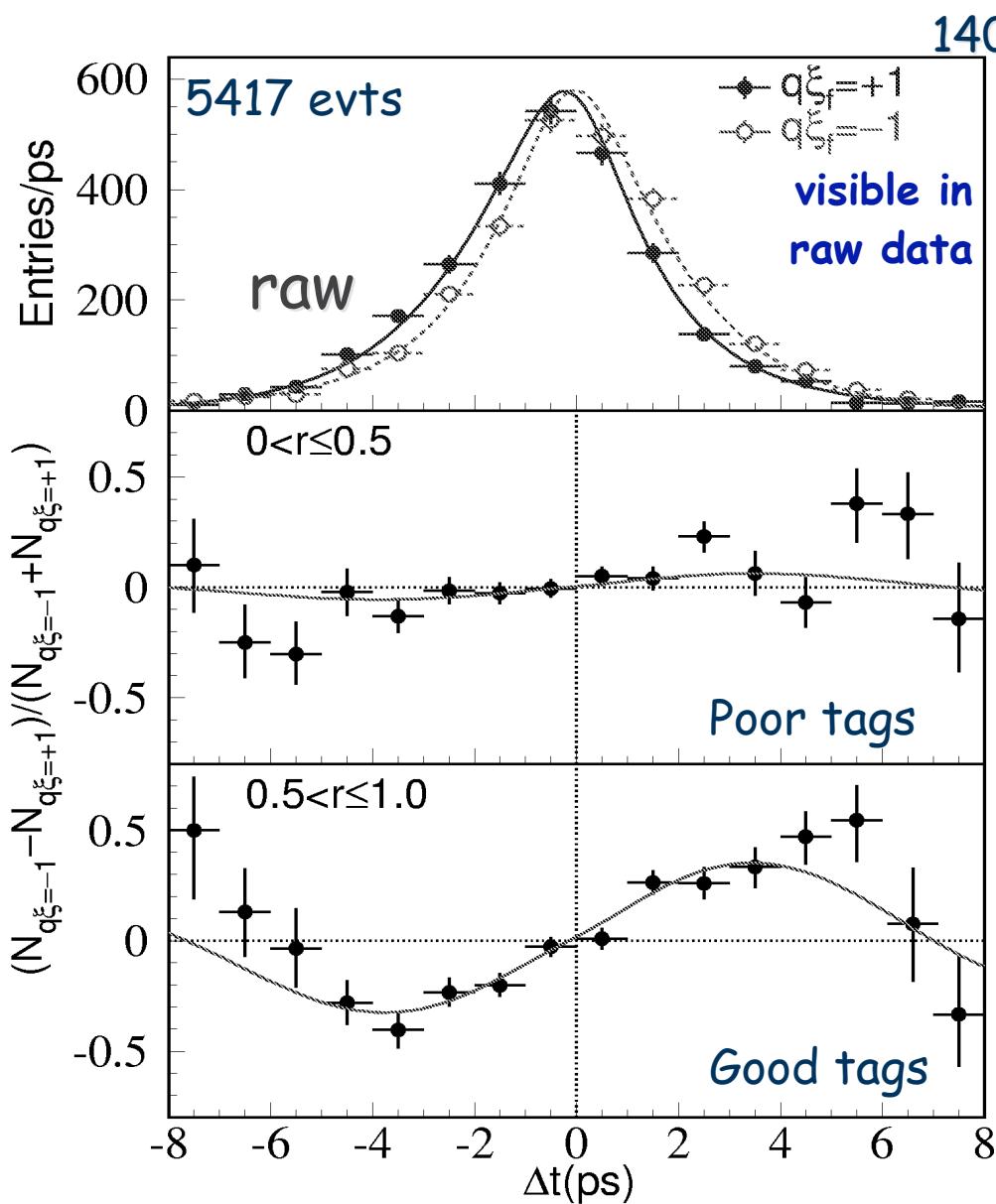
{charmonium}+ $K_s$  tag ( $CP=-1$ )



"partial" reconstruction  
 {charmonium}+ $K_L$  tag ( $CP=+1$ )

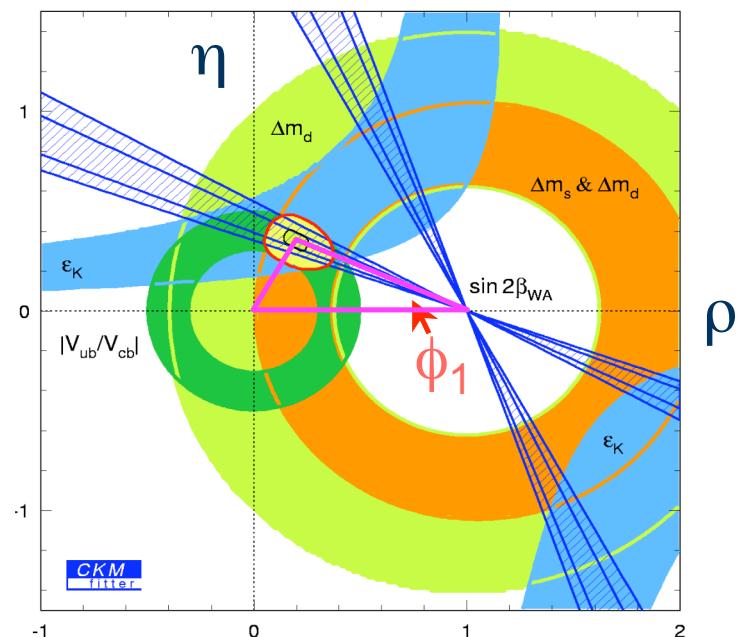


# Asymmetry $\rightarrow \sin 2\phi_1$



$$\sin 2\phi_1 = 0.728 \pm 0.056 \pm 0.023$$

consistent with no direct CP violation

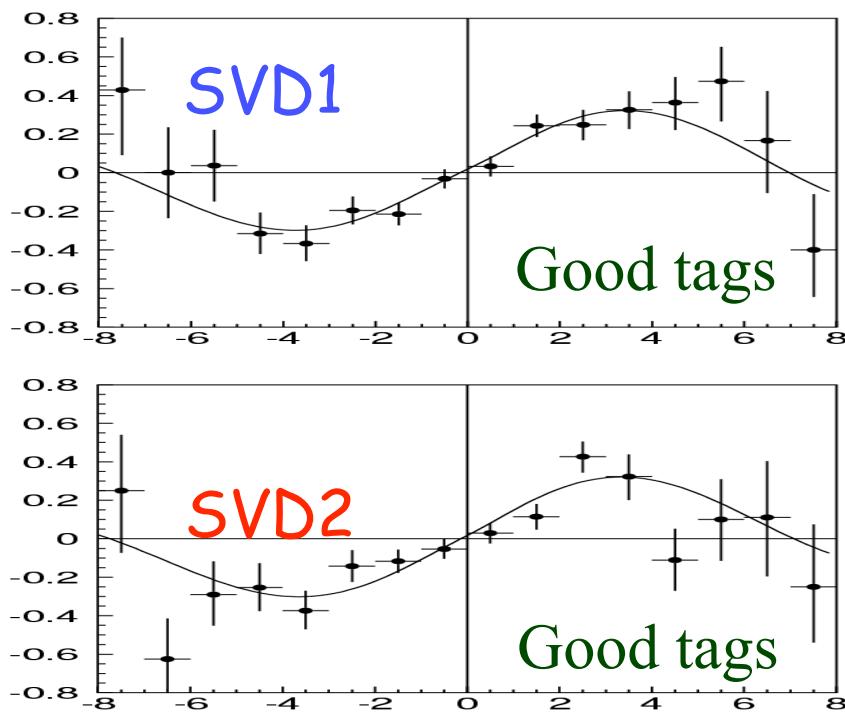


$$\text{world average: } \sin 2\phi_1 = 0.726 \pm 0.037$$

# Check on vertexing: $\sin 2\phi_1$ ( $B^0 \rightarrow J/\psi K_{S/L}$ )



[hep-ex/0409049]



SVD1: 152M  $B\bar{B}$

$$S = 0.696 \pm 0.061 \text{ (stat)}$$

$$\mathcal{A} = 0.011 \pm 0.043 \text{ (stat)}$$

SVD2: 123M  $B\bar{B}$

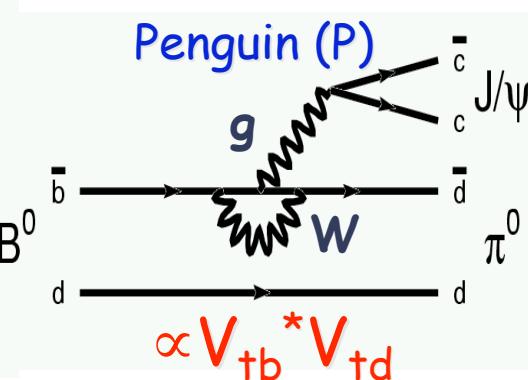
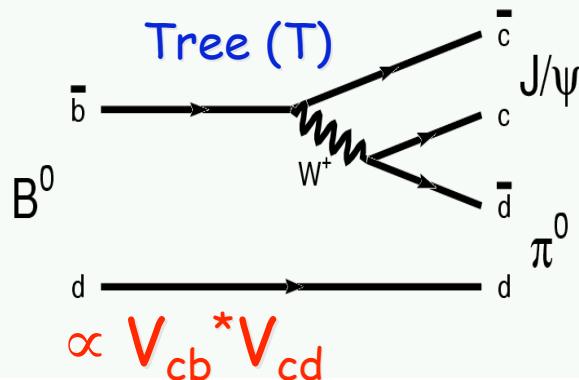
$$S = 0.629 \pm 0.069 \text{ (stat)}$$

$$\mathcal{A} = 0.035 \pm 0.044 \text{ (stat)}$$

$$\sin 2\phi_1 \text{ (World Av.)} = 0.726 \pm 0.037$$

## Other paths to CP asymmetry

e.g.  $B \rightarrow J/\psi \pi^0$  2 processes, different phases, + mixing

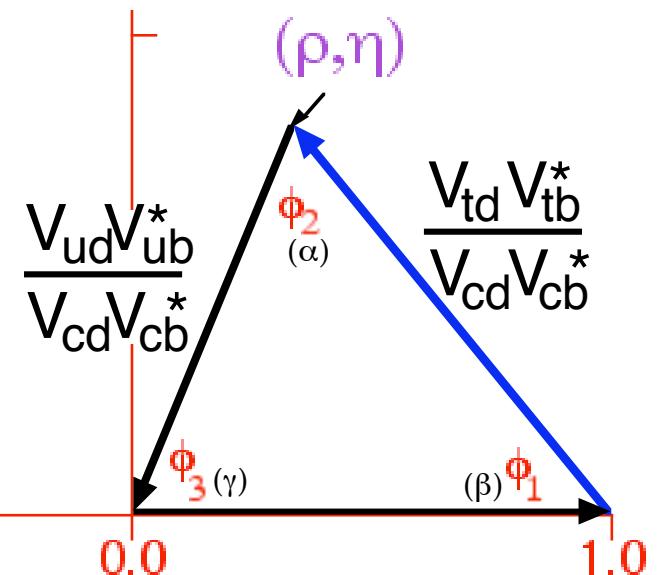


mixing + "

$$\propto V_{tb}^* {}^2 V_{td} {}^2 V_{cb} V_{cd}^*$$

mixing + "

$$\propto V_{tb}^* {}^2 V_{td} {}^2 V_{tb} V_{td}^*$$



Bottom line: "direct" CP asymmetry possible

$$q = \begin{cases} +1 & \text{if } B_{t=0} = B^0 \\ -1 & \text{if } B_{t=0} = \bar{B}^0 \end{cases}$$

$$\frac{dN}{dt}(B \rightarrow f_{CP}) = \frac{1}{2} \Gamma e^{-\Gamma \Delta t} (1 + q \cdot [A \cos(\Delta m \Delta t) + S \sin(\Delta m \Delta t)])$$

"direct" asym

relation to  $\phi_1$  depends on T/P relative amplitudes, strong phase (not known)

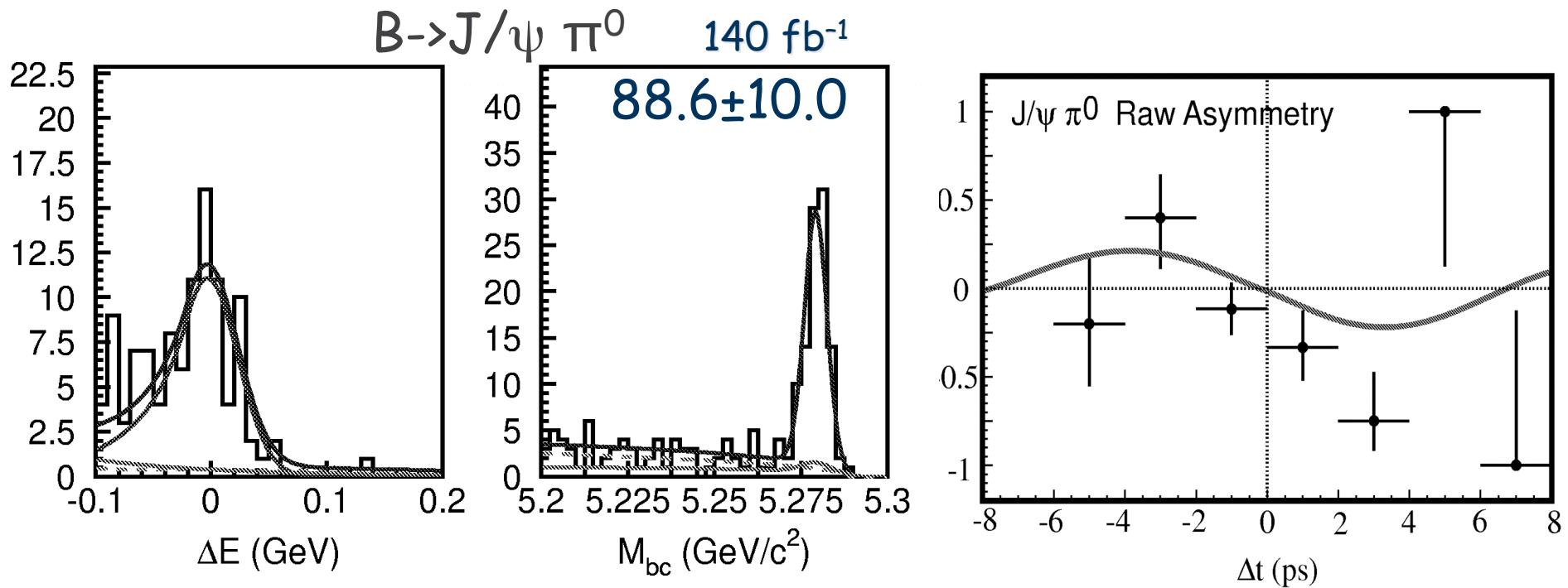
expect  $S = -\sin 2\phi_1$  if penguin is small



# $b \rightarrow \{c \bar{c} d\}$ : $B \rightarrow J/\psi \pi^0$ ( $CP=+1$ )



PRL93,260801 (2004)



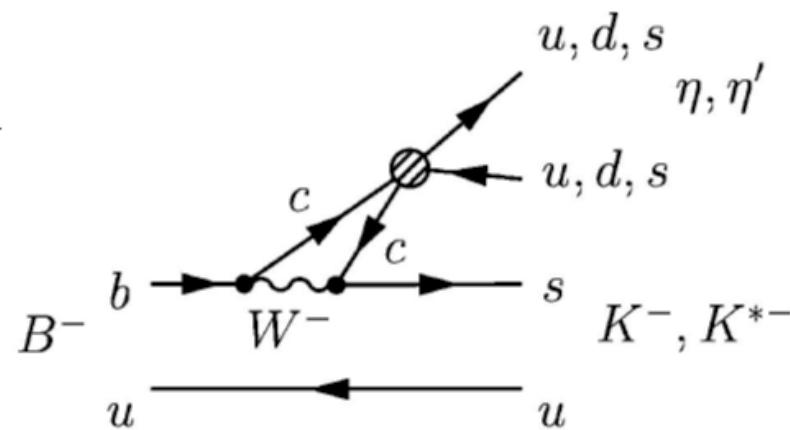
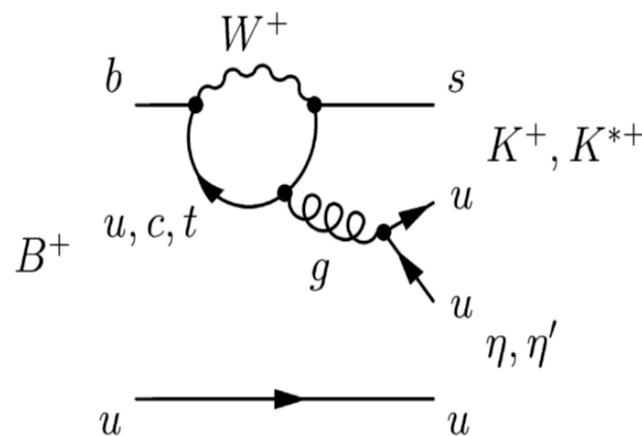
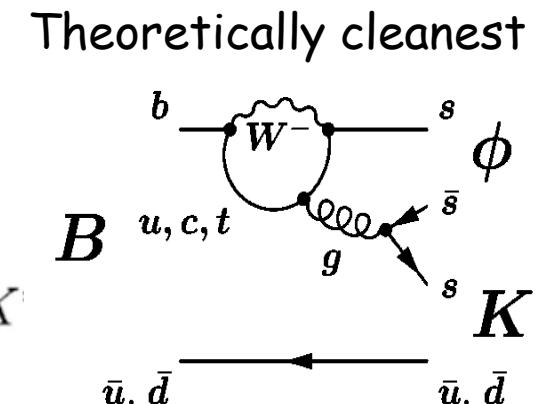
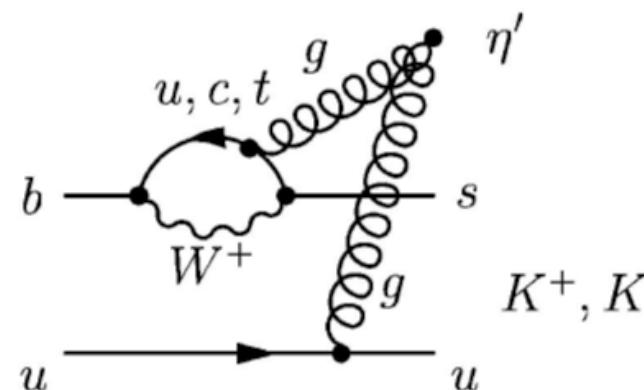
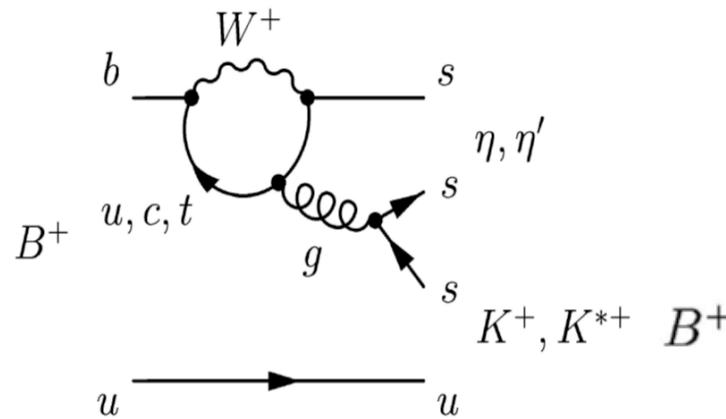
$$S = -0.72 \pm 0.42 \pm 0.09$$

$$A = -0.01 \pm 0.29 \pm 0.03$$

$$\sin 2\phi_1 \text{ (World Av.)} = 0.726 \pm 0.037$$

# More time-dependent $\sin 2\phi_1$ - or new physics?

modes dominated by  $b \rightarrow s \bar{q} \bar{q}$  penguins

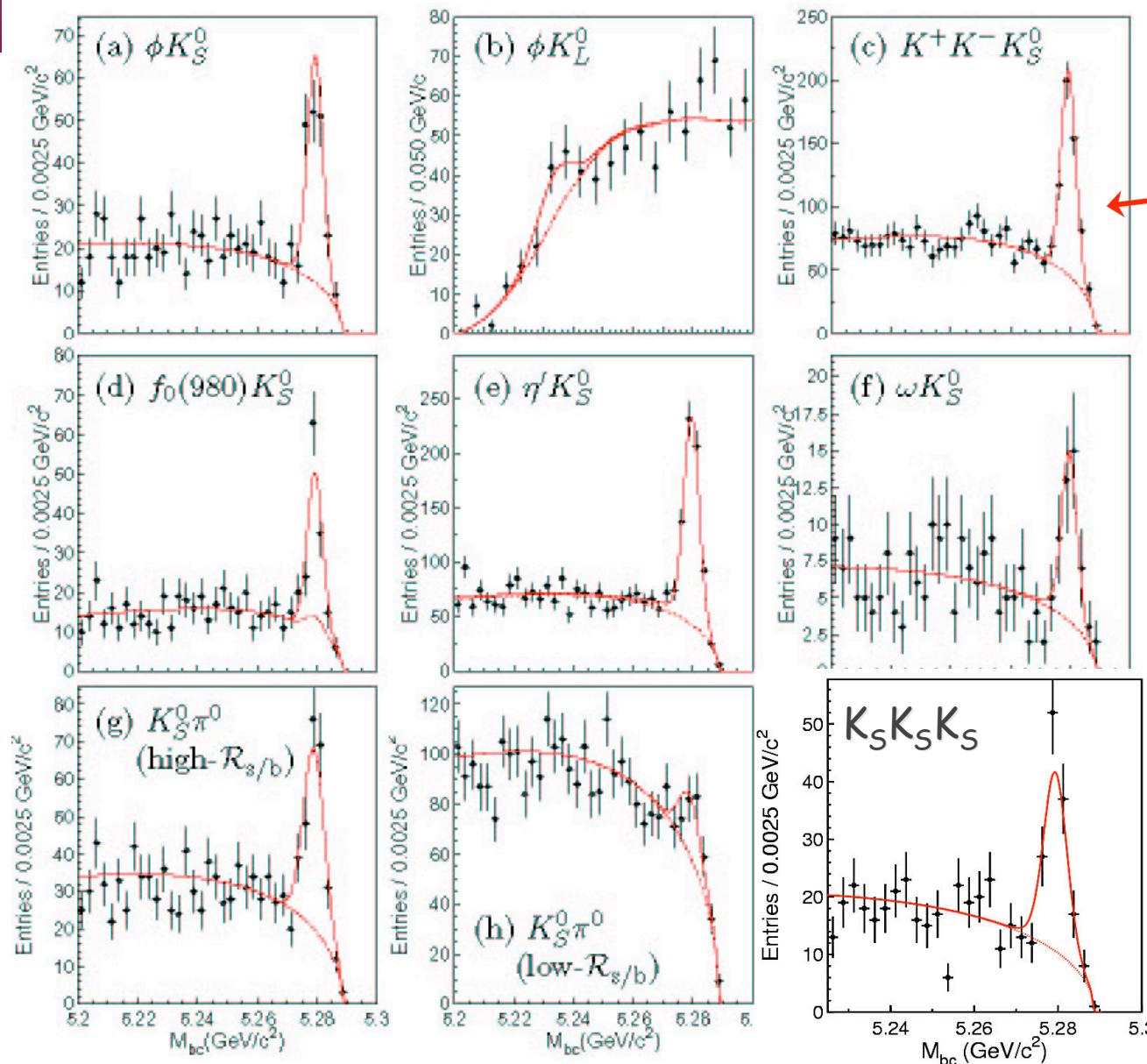


in the absence of New Physics,  $S = \sin 2\phi_1$

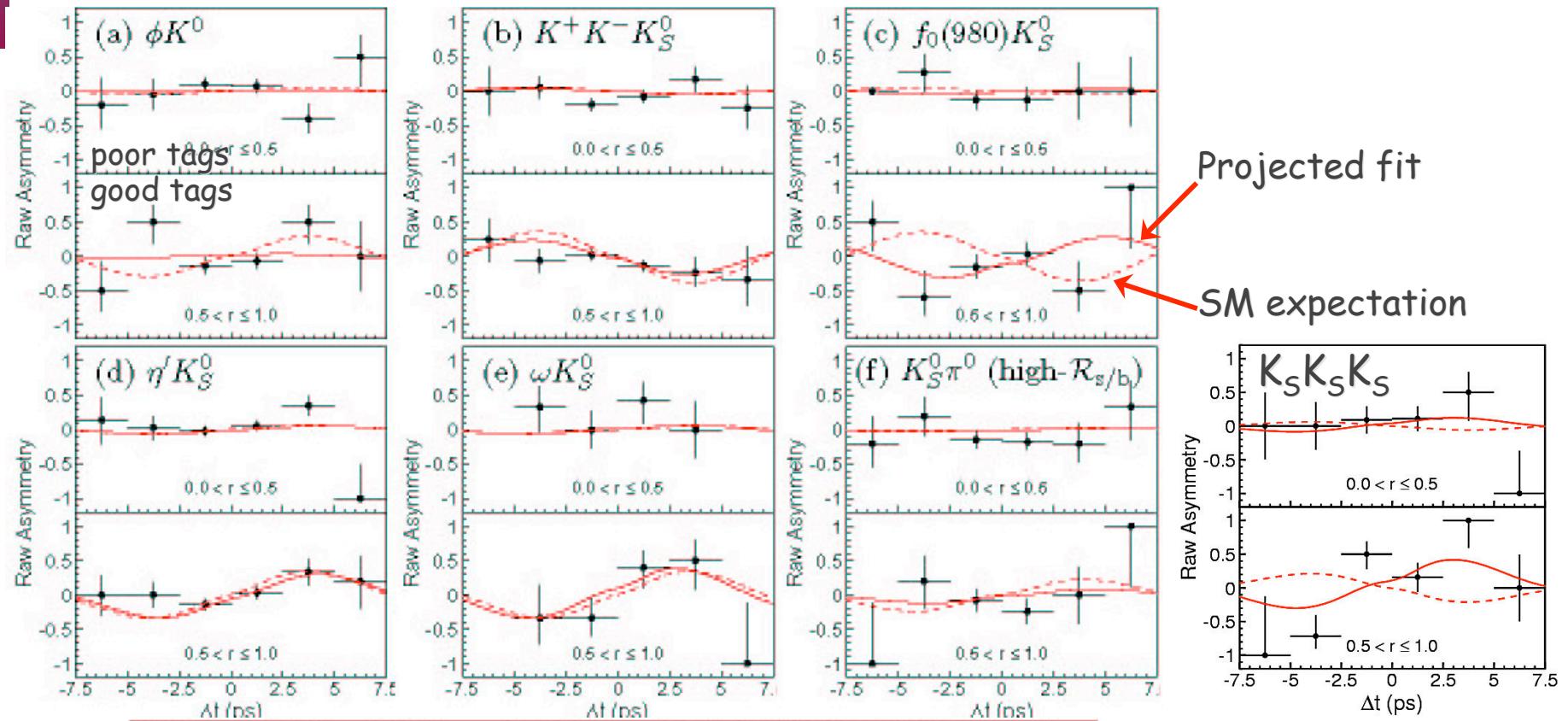
# Reconstruction of $b \rightarrow s\bar{q}q$

$253 \text{ fb}^{-1}$

$CP = +1$   
(angular analysis)



## Time-dependence:



Mode	SM expectation for $\mathcal{S}$	$\mathcal{S}$	$\mathcal{A}$
$\phi K^0$	$+\sin 2\phi_1$	$+0.06 \pm 0.33 \pm 0.09$	$+0.08 \pm 0.22 \pm 0.09$
$K^+K^-K_S^0$	$-\sin 2\phi_1$	$-0.49 \pm 0.18 \pm 0.04$	$-0.08 \pm 0.12 \pm 0.07$
$f_0(980)K_S^0$	$-\sin 2\phi_1$	$+0.47 \pm 0.41 \pm 0.08$	$-0.39 \pm 0.27 \pm 0.08$
$\eta'K_S^0$	$+\sin 2\phi_1$	$+0.65 \pm 0.18 \pm 0.04$	$-0.19 \pm 0.11 \pm 0.05$
$\omega K_S^0$	$+\sin 2\phi_1$	$+0.75 \pm 0.64^{+0.13}_{-0.16}$	$+0.26 \pm 0.48 \pm 0.15$
$K_S^0\pi^0$	$+\sin 2\phi_1$	$+0.30 \pm 0.59 \pm 0.11$	$-0.12 \pm 0.20 \pm 0.07$
$K_S K_S K_S$	$-\sin 2\phi_1$	$+1.26 \pm 0.68 \pm 0.18$	$+0.54 \pm 0.34 \pm 0.08$

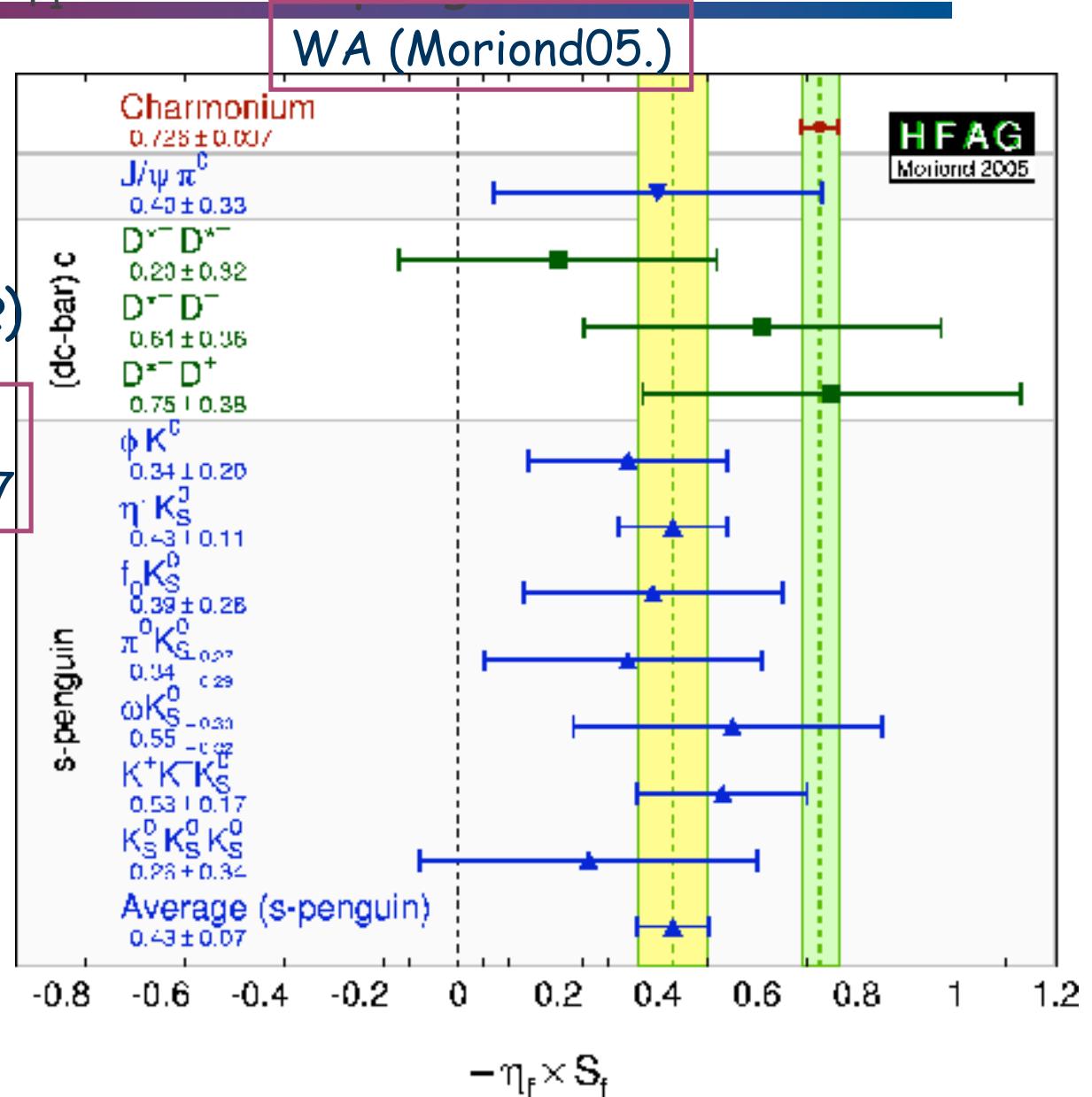
# World Average $\sin 2\phi_1$ from $b \rightarrow s$ penguins

$$\begin{aligned} \sin 2\phi_1(b \rightarrow s\bar{q}\bar{q}) = \\ \left\{ \begin{array}{l} 0.39 \pm 0.11 \text{ (Belle)} \\ 0.45 \pm 0.09 \text{ (BABAR)} \end{array} \right. \end{aligned}$$

World Average (WA)  
 $\sin 2\phi_1(b \rightarrow s\bar{q}\bar{q}) = 0.43 \pm 0.07$

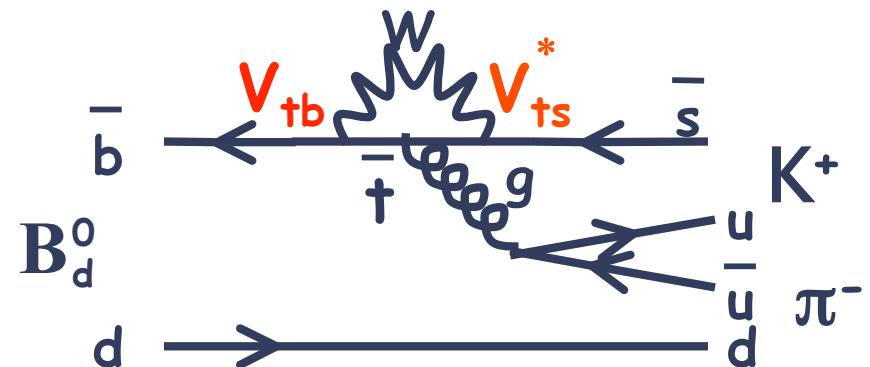
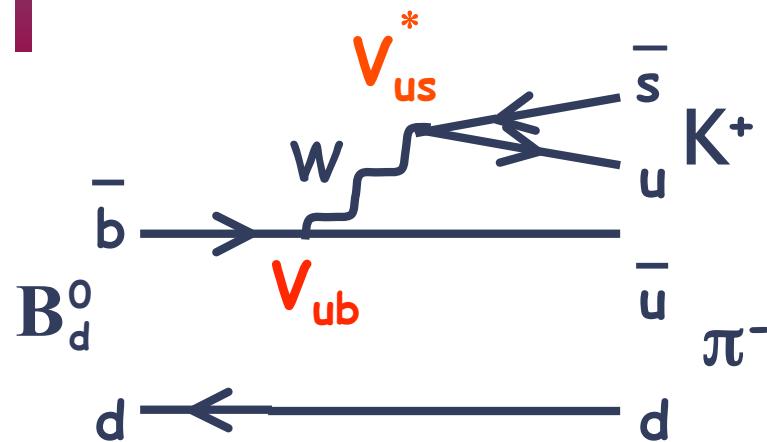
Compare with ccs:  
 $\sin 2\phi_1(b \rightarrow c\bar{c}s)$   
 $= 0.726 \pm 0.037$

$$CL = 2.1 \times 10^{-4} (3.7\sigma)$$





$B^0 \rightarrow K\pi$



Tree-penguin interference  $\rightarrow$  direct CP violation

$$\mathcal{A}_{CP} = \frac{N(\bar{B} \rightarrow \bar{f}) - N(B \rightarrow f)}{N(\bar{B} \rightarrow \bar{f}) + N(B \rightarrow f)}$$

expect  $A_{CP}(K^+\pi^-) \sim A_{CP}(K^+\pi^0)$

# $A_{CP}(B^0 \rightarrow K\pi)$



275M  $B\bar{B}$

signal:  $2139 \pm 53$

$A_{CP} = -0.101 \pm 0.025 \pm 0.005$

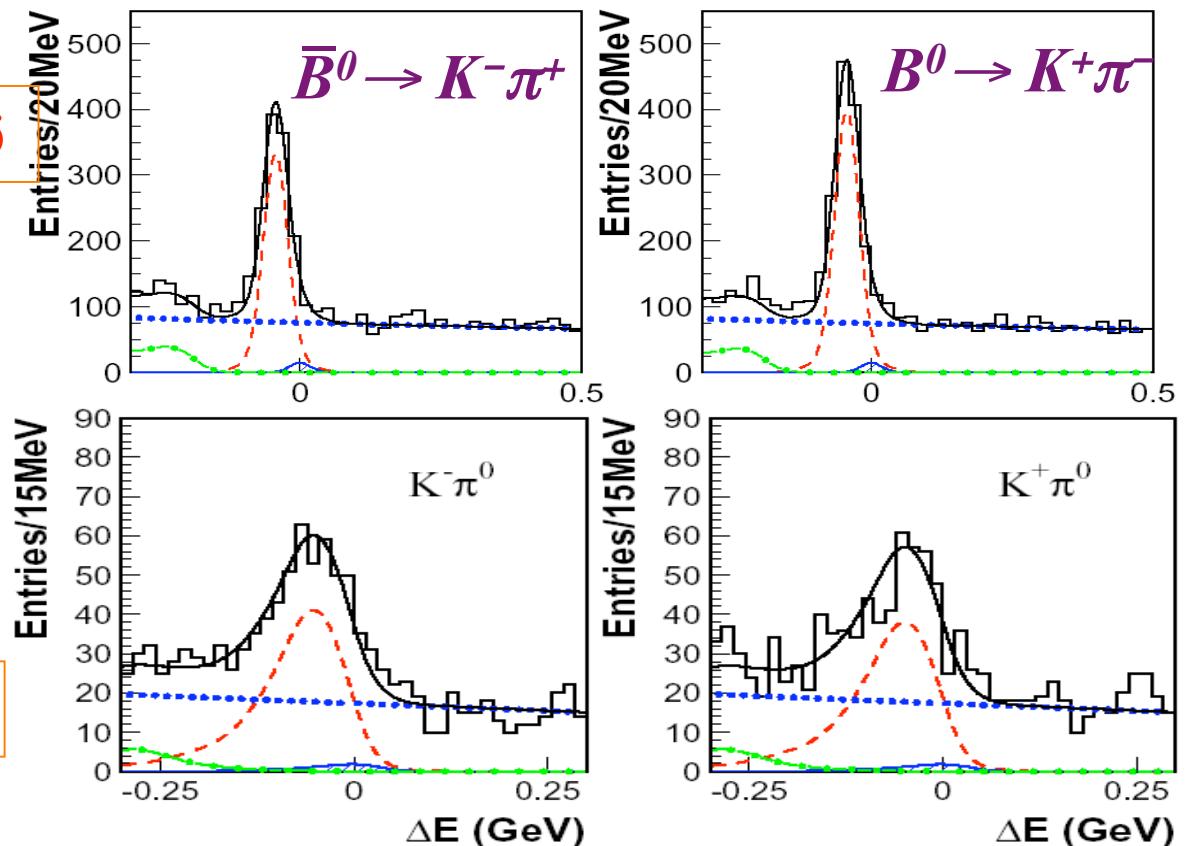
$3.9\sigma$  significance

[PID eff. bias correction:  
 $\delta A = -0.01 \pm 0.004$ ]

Signal:  $728 \pm 34$

$A_{CP} = +0.04 \pm 0.05 \pm 0.02$

[PRL 93, 191802 (2004)]



If  $A_{CP}(K^+\pi^-) \neq A_{CP}(K^+\pi^0)$   $\rightarrow$  anomalously large e.g. EW penguin or new physics



## Summary

### Belle in 2005:

- KEKB *luminosity*  $1.52 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$  (design:  $1 \times 10^{34}$ );  $> 350\text{M}$  B pairs
- $\sin 2\phi_1$  via  $\psi K^{(*)0}$  is now a "precision" measurement
- alternative probes of  $\sin 2\phi_1$ - sensitive to new physics
  - $B \rightarrow J/\psi \pi^0$  - penguin may be small (need more data)
  - penguin-dominated  $B \rightarrow sqq$  - suggestive!
- direct CP violation in  $K\pi$ , difference  $K^+\pi^-$  vs  $K^+\pi^0$ ?
- observations/hints in many modes, possibly CP in future

### Next

- aiming for  $(450) \text{ fb}^{-1}$  by summer
- Luminosity  $>$  design
- the CP challenge: heating up - stay tuned!